

Decision Trees and Cost Estimating

Josh Wilson

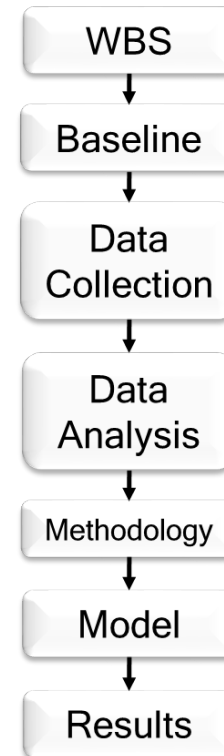
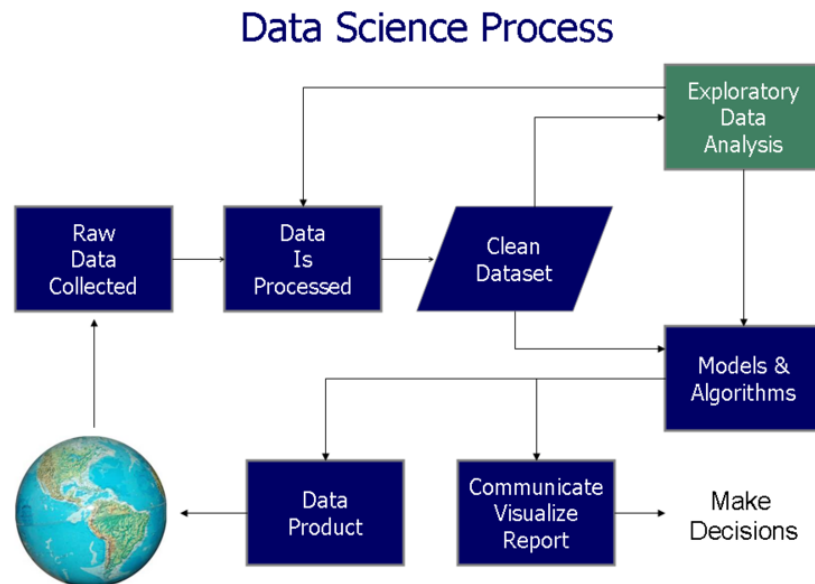
Booz Allen Hamilton

Agenda

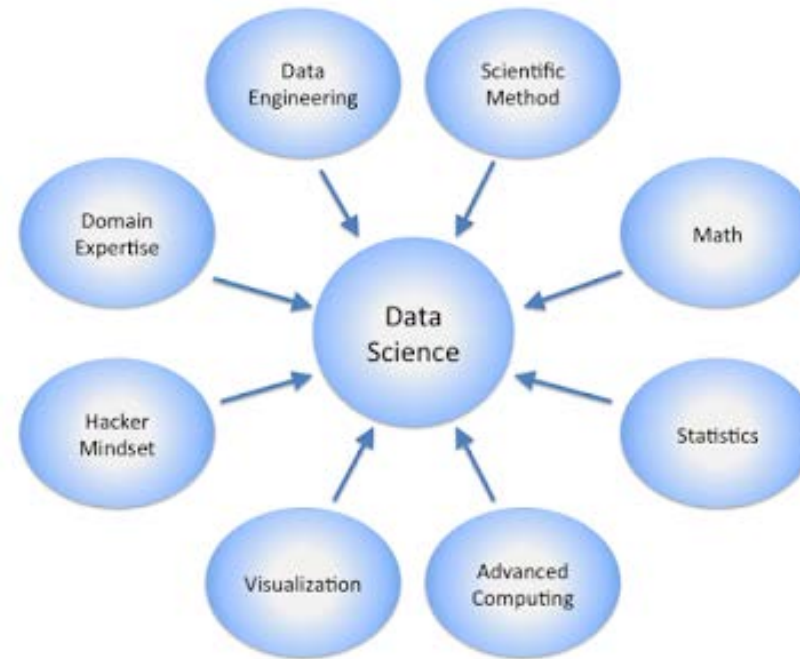
- ▶ Motivation
 - ▶ Integration of Data Science Methods within Cost Estimating Field
- ▶ Obligatory Data Science slide
- ▶ Decision Trees
 - ▶ Definition & Explanation
 - ▶ Strengths & Weaknesses
 - ▶ Extensions
- ▶ Applicability to Cost Estimating
 - ▶ Data Challenges
 - ▶ Example - Can we predict installation cost overruns?
- ▶ Conclusions

Motivation

- ▶ Background in cost estimating
- ▶ Interest in data science
- ▶ Exploring application of data science to cost estimating



Data Science?



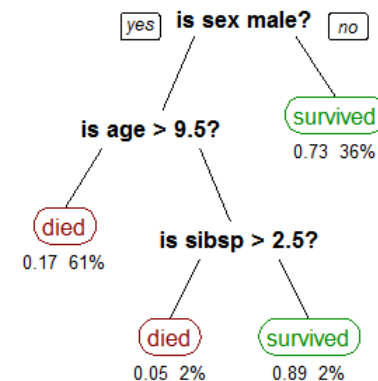
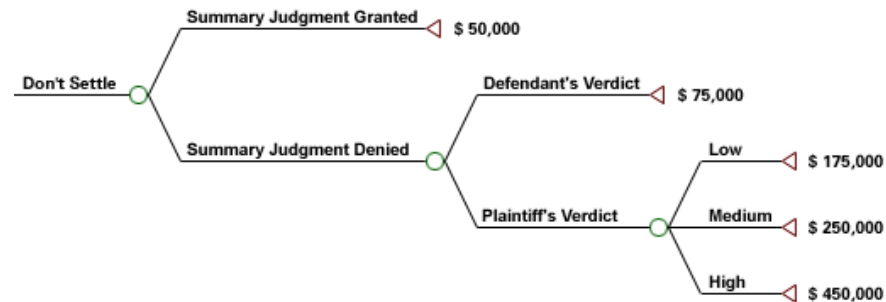
Copyright © 2014 by Steven Geringer Raleigh, NC.
Permission is granted to use, distribute, or modify this image,
provided that this copyright notice remains intact.

- ▶ <http://www.proofreader.com/2016/09/battle-of-data-science-venn-diagrams.html>

Decision Trees

First, a clarification...

- ▶ There are two types of “decision trees”
- ▶ Decision trees for *decision analysis*
 - ▶ Model decisions and consequences
 - ▶ https://en.wikipedia.org/wiki/Decision_tree
 - ▶ These types of trees ARE NOT the topic of this presentation
- ▶ Decision trees for *prediction*
 - ▶ Maps observations to outcomes
 - ▶ https://en.wikipedia.org/wiki/Decision_tree_learning
 - ▶ These types of trees ARE the topic of this presentation



Decision Trees

What are they?

- ▶ Nonparametric supervised learning method
 - ❖ *Nonparametric* = makes no assumptions about underlying data distributions
 - ❖ *Supervised* = model learns from examples where we know the outcome
- ▶ Can be used for classification or regression
 - ▶ Classification if we are trying to predict a categorical outcome
 - ▶ Regression if we are trying to predict a continuous outcome
- ▶ Makes predictions by learning simple “if-then-else” decision rules from data
 - ▶ Recursively partition data into subgroups and apply simple prediction models
- ▶ Example: Predicting passenger survival on Titanic
 - ▶ If sex is female, then predict passenger survived, else...
 - ▶ If age > 9.5, then predict passenger died, else... (and so on)

Decision Trees

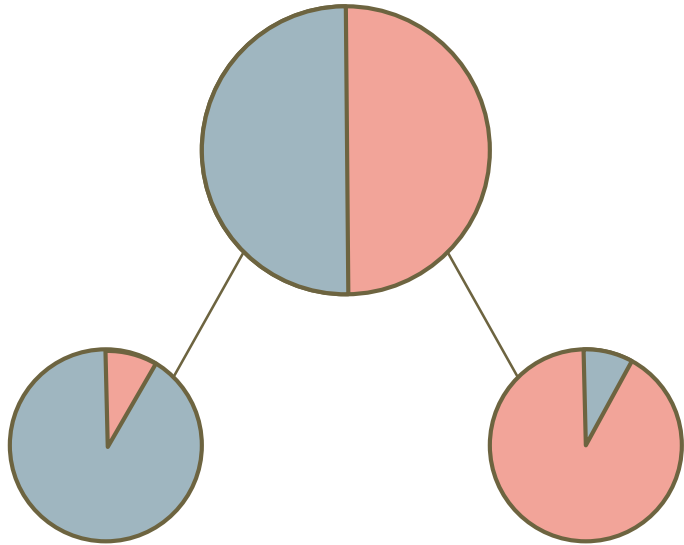
How do they work? (the basic idea)

- ▶ At each step, split data to maximize homogeneity of target variable within resulting subgroups
 - ▶ i.e. We want to separate out the different outcomes as best we can
 - ▶ Algorithm scans all possible splits and chooses the “best”
- ▶ Process continues on resulting subgroups until stopping condition reached:
 - ▶ Maximum # levels reached
 - ▶ All subgroups are smaller than some specified threshold size
 - ▶ No possible split improves the result

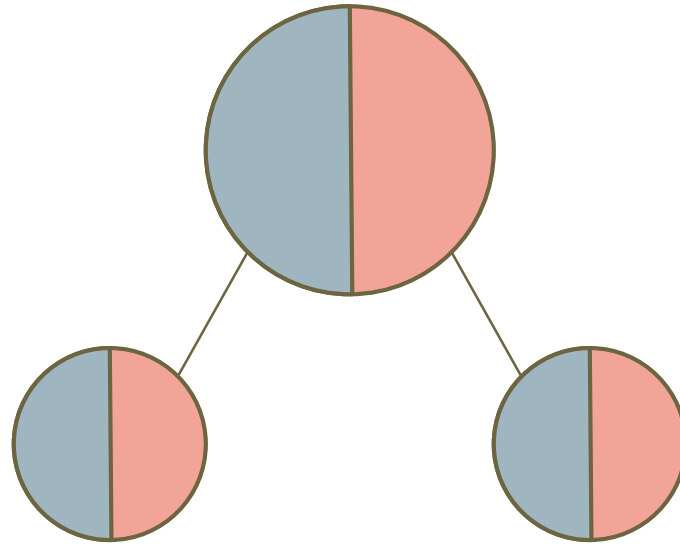
Decision Trees

How do they work? (good vs. bad splits)

► Good split - Separates classes:



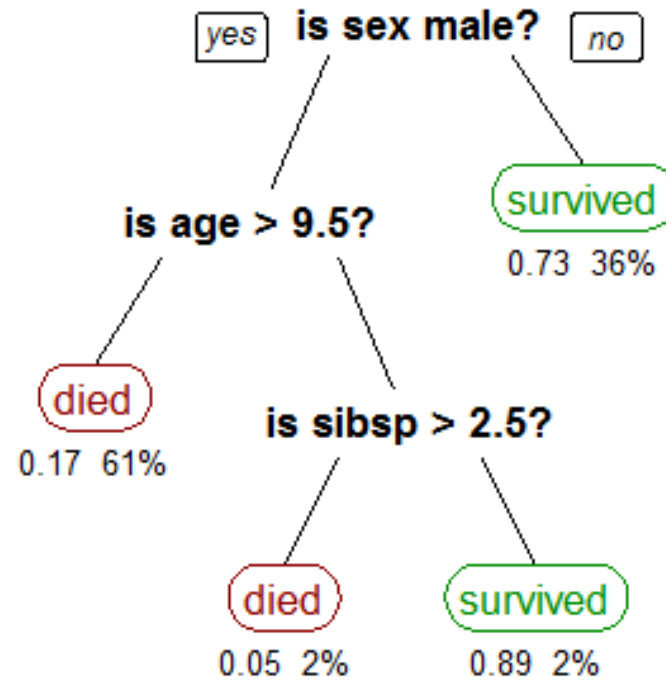
► Bad split - Classes still "impure"



Decision Trees

How do they work? (Titanic example)

- ▶ We can predict survival using Titanic passenger demographic info
 - ▶ If sex is female, then predict passenger survived, else...
 - ▶ If (male) passenger age > 9.5, then predict passenger died, else...
 - ▶ If (male, child) passenger is traveling with 3+ family members, predict passenger died, else...
 - ▶ Predict passenger survived
- ▶ "sibsp" = number of siblings/spouses (i.e. family members) onboard



Decision Trees

Strengths

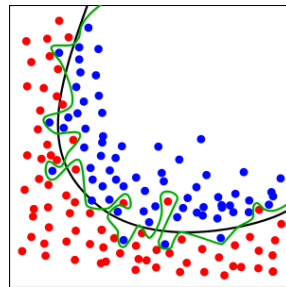
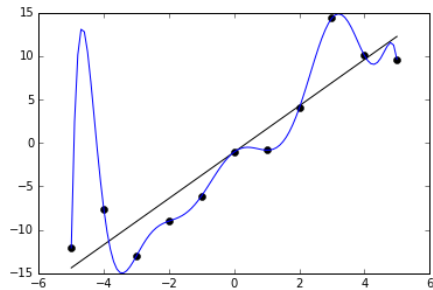
- ▶ Easy to interpret, explain, and visualize
- ▶ Little data preparation or cleaning
 - ▶ Can handle both numerical and categorical input data
 - ▶ Robust to outliers and missing data
 - ▶ Handles nonlinear relationships and correlated variables
 - ▶ Ignores useless variables
- ▶ Automates modeling of variable interactions
 - ▶ i.e. Perhaps age is important if you're male, but not if you're female

Decision Trees

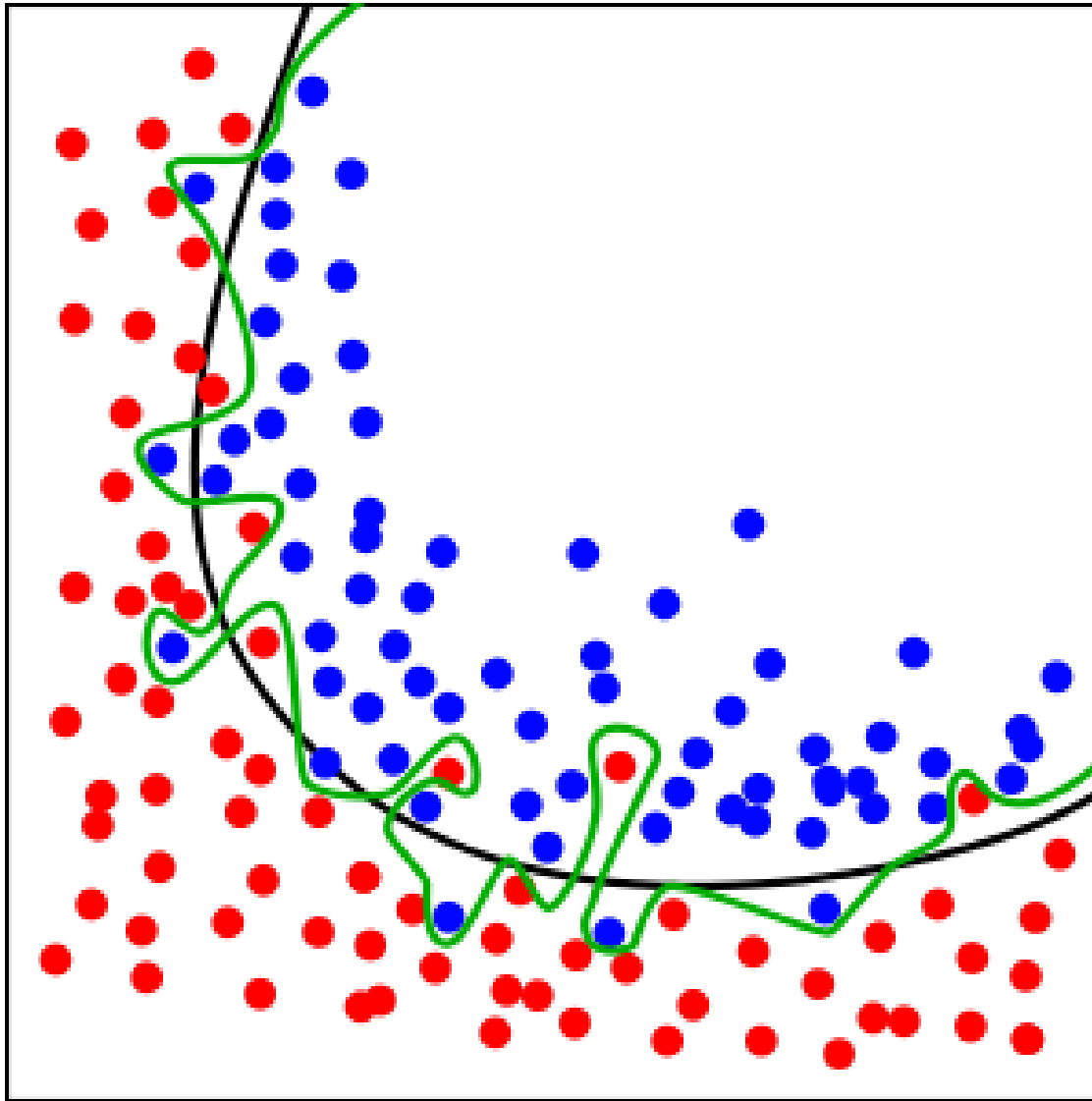
Weaknesses

- ▶ Susceptible to overfitting

- ❖ *Overfitting* = model captures random peculiarities of training data and does not generalize well to new data



- ▶ Splitting decisions tend to favor categorical variables with many levels
 - ▶ Consider a full name variable in tree to predict Titanic survival...
- ▶ “Greedy algorithm” - makes best current decision, possibly bad for long-term



Decision Trees

Extensions

- ❖ *Ensemble method* = prediction based on multiple individual models

- ▶ Random Forests
 - ▶ Ensemble of many individual decision trees, each built from a subset of the data and/or features
 - ▶ Generalize to new data better than single trees

- ▶ Boosted Trees
 - ▶ Ensemble method where new trees are built to improve performance of their sums
 - ▶ E.g. by increasing the weight of incorrectly classified data points
 - ▶ Overall prediction based on individual trees weighted by accuracy

Decision Trees

Applicability to Cost Estimating

- ▶ Another method to predict cost, or things useful for predicting cost
 - ▶ Examples:
 - ▶ Efforts likely to result in cost over/under runs
 - ▶ Categories of SW code growth
- ▶ Less impacted by certain types of cost estimating challenges
 - ▶ Messy data
 - ▶ Mixture of numeric/categorical? Outliers? Missing values? Inconsistent units across different variables?
 - ▶ Time constraints
 - ▶ Which independent variables are useful? Which are correlated?

Example: *Can we predict installation cost overruns?*

Data / Background

- ▶ Raw installation data is from SPIDER database
 - ▶ *SPIDER* = "SPAWAR PEO C4I Information Data Enterprise Repository"
- ▶ Data for >6k install efforts from a single program office
- ▶ 141 columns of data - mostly text/categorical, some numeric, some dates
 - ▶ Descriptors of effort - Ship type, location, system, type of install, etc.
 - ▶ Cost estimates - Includes initial estimate and actual cost if completed
 - ▶ Key event dates - Ship availability, planned installation dates, etc.
- ▶ Lots of missing data - eliminating rows with missing data results in 0 rows left

Example: *Can we predict installation cost overruns?*

General Process

- ▶ Data preprocessing
 - ▶ Filtered data to remove incomplete efforts
 - ▶ Removed various ID number columns
 - ▶ Converted dates to number of days prior to ship availability
- ▶ Defined target variable “Cost Growth Category” as
 - ▶ “Over Low” if $0\% < \text{Cost Growth \%} < 40\%$
 - ▶ “Over High” if $\text{Cost Growth \%} > 40\%$
 - ▶ “Under Low” if $-40\% < \text{Cost Growth \%} < 0\%$
 - ▶ “Under High” if $\text{Cost Growth \%} < -40\%$
- ▶ Split data into training and test datasets
- ▶ Built various models to predict “Cost Growth Category”

Example: *Can we predict installation cost overruns?*

Confusion Matrix for Characterizing Classification Errors

- ▶ *Confusion Matrix* = visualization of predicted versus actual outcomes
 - ▶ Good if high values along diagonal, low values elsewhere

		Prediction	
		Positive	Negative
Actual	Positive	TP	FN
	Negative	FP	TN

		Prediction				
		Class 1	Class 2	Class 3	...	Class n
Actual	Class 1	Accurate				
	Class 2		Accurate			
	Class 3			Accurate		
	...				Accurate	
	Class n					Accurate

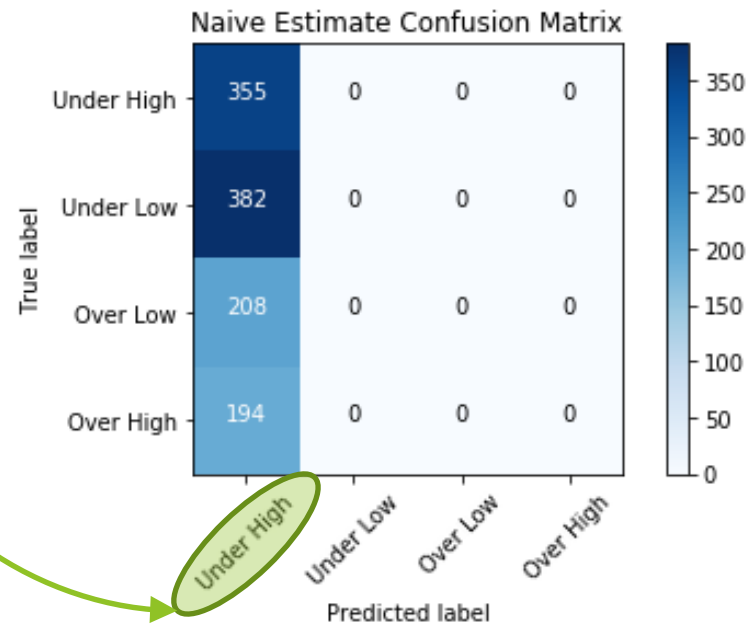
Example: *Can we predict installation cost overruns?*

"Naive" Results - Baseline for Comparison

- ▶ What if we predict the most common outcome from our training data?
 - ▶ Then we correctly predict that outcome, but miss everything else
- ▶ 31% prediction accuracy

Overrun Category Counts from Training Data:

Under High	557
Under Low	530
Over Low	303
Over High	317



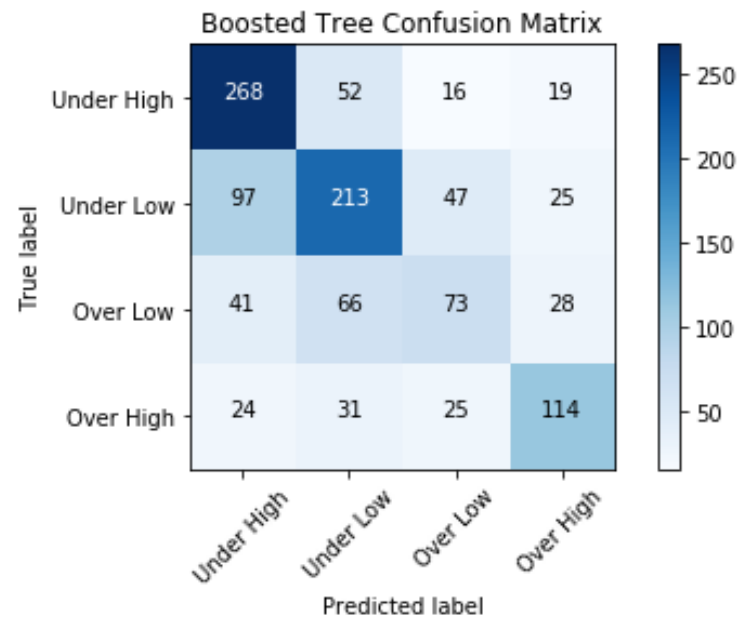
Example: *Can we predict installation cost overruns?*

Current Results - Boosted Tree Model

- ▶ Almost 60% prediction accuracy
- ▶ Highest accuracy for extreme cases (i.e. high underruns and high overruns)
- ▶ Most important features = ship avail duration, lead time for ship check, drawings, system test

Overrun Category Value Counts from Test Data:

Under High	355
Under Low	382
Over Low	208
Over High	194



Example: *Can we predict installation cost overruns?*

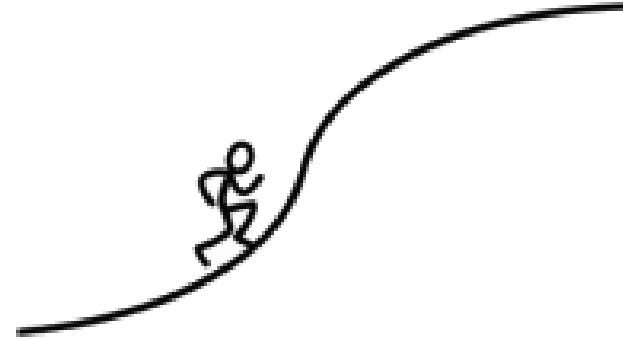
Next Steps

- ▶ Find other sources of complementary data
 - ▶ Performer? Weather/temperature/season?
 - ▶ In general, having more/better data is much better than having a better model!
- ▶ Feature Engineering
 - ▶ Number of concurrent installations?
- ▶ Direct prediction of install cost (i.e. regression instead of classification)

Conclusions

- ▶ Decision Trees are a viable tool for the cost estimator
 - ▶ Easy to interpret and explain
 - ▶ Robust to common deficiencies in data quality
 - ▶ Little overhead for variable screening
 - ▶ Ensemble methods to address weaknesses of single tree models
 - ▶ Good method to expose non-technical people to data science approaches

Way Forward



- ▶ Learning curve can be a challenge
- ▶ Self-study resources are available
 - ▶ Python - <http://scikit-learn.org/stable/modules/tree.html>
 - ▶ R - <http://www.statmethods.net/advstats/cart.html>
 - ▶ Titanic tutorials - <https://www.kaggle.com/c/titanic#tutorials>
- ▶ Other methods that may be appropriate when considering decision trees
 - ▶ Naïve Bayes
 - ▶ k-Nearest Neighbors (k-NN)
 - ▶ Logistic Regression / Linear Regression
 - ▶ Support Vector Machines (SVM)

Questions?

Josh Wilson
Associate

Booz | Allen | Hamilton

Booz Allen Hamilton Inc.
1615 Murray Canyon Road
Suite 900
San Diego, CA 92108
Tel (619) 278-3855
Mobile (619) 820-6226
wilson_joshua@bah.com

BACKUP

All Model Accuracy Results

- ▶ Most Common Occurrence (Naïve Model) = 31%
- ▶ Logistic Regression = 38%
- ▶ Logistic Regression + PCA Transform = 48%
- ▶ Single Decision Tree Classifier = 50%
- ▶ Support Vector Classifier = 50%
- ▶ Random Forest Classifier = 55%
- ▶ Gradient Boosted Tree Classifier = 59%

Decision Trees

Impurity Functions

- ▶ Various decision tree algorithms have been implemented, and various “impurity” metrics are used to measure node homogeneity

- ▶ ID3, C4.5, C5.0 use entropy/information gain:

$$H(T) = I_E(p_1, p_2, \dots, p_n) = - \sum_{i=1}^J p_i \log_2 p_i \quad IG(T, a) = H(T) - H(T|a)$$

- ▶ CART uses Gini impurity for classification:

$$I_G(f) = \sum_{i=1}^J f_i(1 - f_i) = \sum_{i=1}^J (f_i - f_i^2) = \sum_{i=1}^J f_i - \sum_{i=1}^J f_i^2 = 1 - \sum_{i=1}^J f_i^2 = \sum_{i \neq k} f_i f_k$$

- ▶ CART uses variance reduction for regression:

$$I_V(N) = \frac{1}{|S|^2} \sum_{i \in S} \sum_{j \in S} \frac{1}{2} (x_i - x_j)^2 - \left(\frac{1}{|S_t|^2} \sum_{i \in S_t} \sum_{j \in S_t} \frac{1}{2} (x_i - x_j)^2 + \frac{1}{|S_f|^2} \sum_{i \in S_f} \sum_{j \in S_f} \frac{1}{2} (x_i - x_j)^2 \right)$$

- ▶ Any strictly convex function can be used

